

Phys2610 (2019) Prelab 7 solutions

Experiment 7: The Common Emitter Amplifier

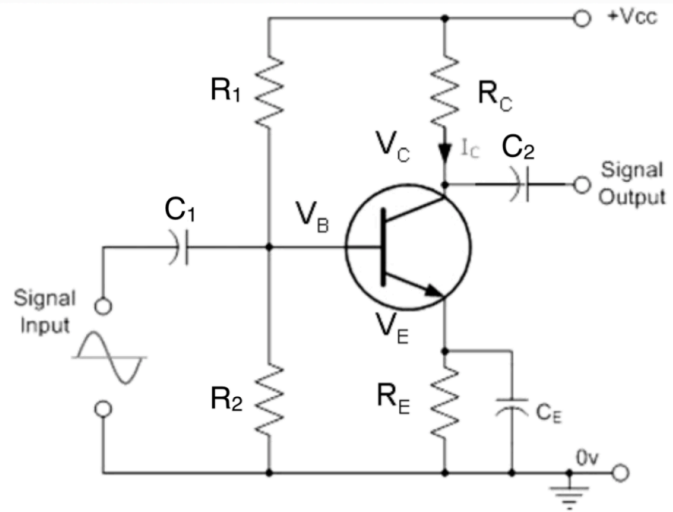
Goal: To construct a common emitter amplifier using the NPN bipolar junction transistor that was characterized last week in experiment 6.

Amplifier Circuit and Prelab Exercises:

(Refer to the introductory notes for experiment 6 as needed.)

With no ac input, the dc power supply ($+V_{cc}$) and the bias resistors establish the operating point.

The circuit will be built with and without capacitor C_E to see how it affects the performance of the circuit.

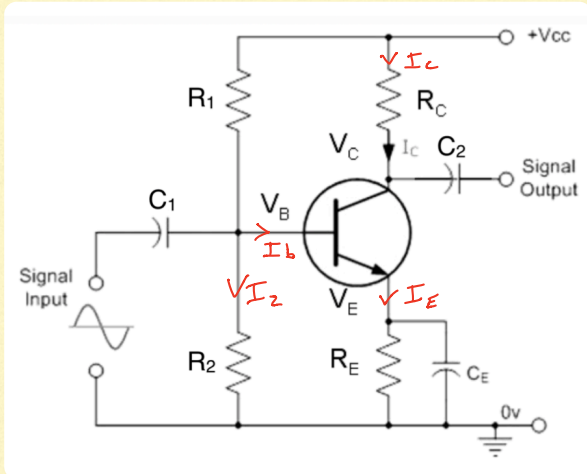


We will use: $V_{CC} = 18 \text{ V}$, $R_1 = 33 \text{ k}\Omega$, $R_2 = 2.2 \text{ k}\Omega$, $R_C = 3.3 \text{ k}\Omega$, $R_E = 220 \Omega$, $C_1 = C_2 = 0.47 \mu\text{F}$, $C_E = 10 \mu\text{F}$.

- Assuming I_b is small, and that $V_{BE} = 0.6 \text{ V}$ when the BE junction is forward biased, determine the dc currents I_2 (flowing through R_2) and I_C for these component values.
- What is the value of V_{CE} ?
- Using your measurement of β from expt. 6 ($\beta \approx 200$), what is the value of I_b ?
- On a copy of the transistor characteristic curves from expt. 6, plot the load line: I_C versus V_{CE} for $V_{cc} = 18 \text{ V}$. Identify and mark the operating point (I_C , V_{CE} and I_b).
(You may interpolate between the measured characteristic curves to illustrate this.)
- Suppose $V_B \rightarrow V_B + \delta V_B$. Assume V_{BE} and V_{CC} are constant. What are the corresponding changes in I_E and I_C ? What is δV_C ? Show that $\delta V_C / \delta V_B \approx -R_C / R_E$. (This is essentially the gain of the amplifier circuit; the $-$ sign indicates a phase shift of π)

a) Assuming I_b is small, and that $V_{BE} = 0.6$ V when the BE junction is forward biased, determine the dc currents I_2 (flowing through R_2) and I_C for these component values.

We will use: $V_{CC} = 18$ V, $R_1 = 33$ k Ω , $R_2 = 2.2$ k Ω , $R_C = 3.3$ k Ω , $R_E = 220$ Ω , $C_1 = C_2 = 0.47$ μ F, $C_E = 10$ μ F.



Assuming I_b is small,

$$V_B = V_{CC} \frac{R_2}{R_1 + R_2} = 1.12 \text{ V}$$

$$\text{Then, } I_2 = \frac{V_B}{R_2} = \boxed{0.51 \text{ mA}}$$

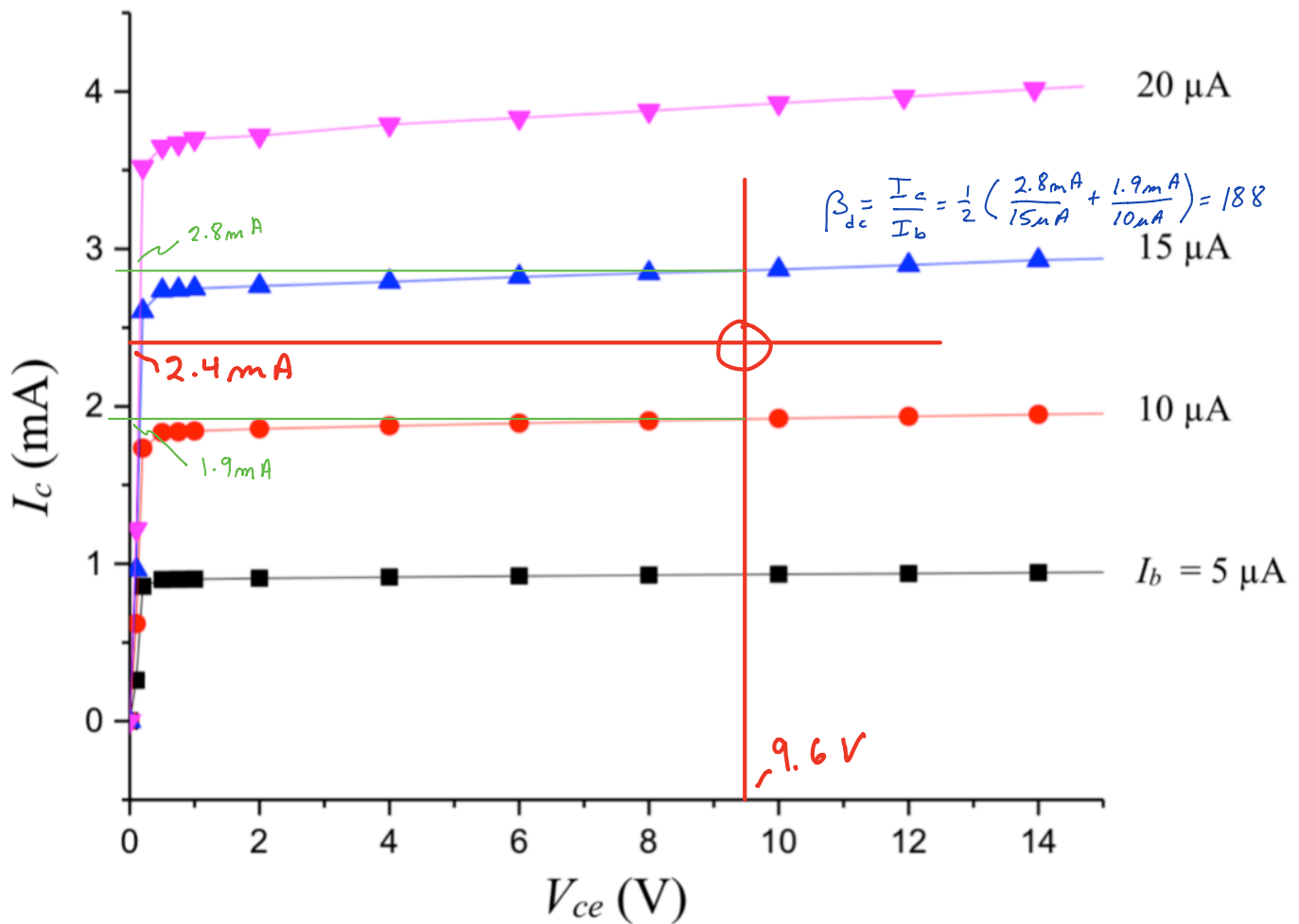
$$\text{and } V_B - V_{BE} - I_E R_E = 0 \rightarrow I_E = \frac{V_B - V_{BE}}{R_E} = 2.82 \text{ mA} \rightarrow I_C \approx I_E = \boxed{2.39 \text{ mA}}$$

b) What is the value of V_{CE} ?

$$\text{Applying KVL, } V_{CC} - I_C R_C - V_{CE} - I_C R_E = 0$$

$$\text{give } V_{CE} = V_{CC} - I_C (R_C + R_E) = \boxed{9.6 \text{ V}}$$

c) Using your measurement of β from expt. 6 ($\beta \approx 200$), what is the value of I_b ?



From the sample data supplied with experiment 6,

at $V_{CE} = 9.6 \text{ V}$ and $I_c = 2.4 \text{ mA}$, the value of β_{dc} can be

taken as the average of the values on the $I_b = 10 \mu\text{A}$ and $I_b = 15 \mu\text{A}$ curves.

This gives $\beta_{dc} = 188$, so $I_b = I_c / \beta = \frac{2.4 \text{ mA}}{188} = 12.2 \mu\text{A}$ (which

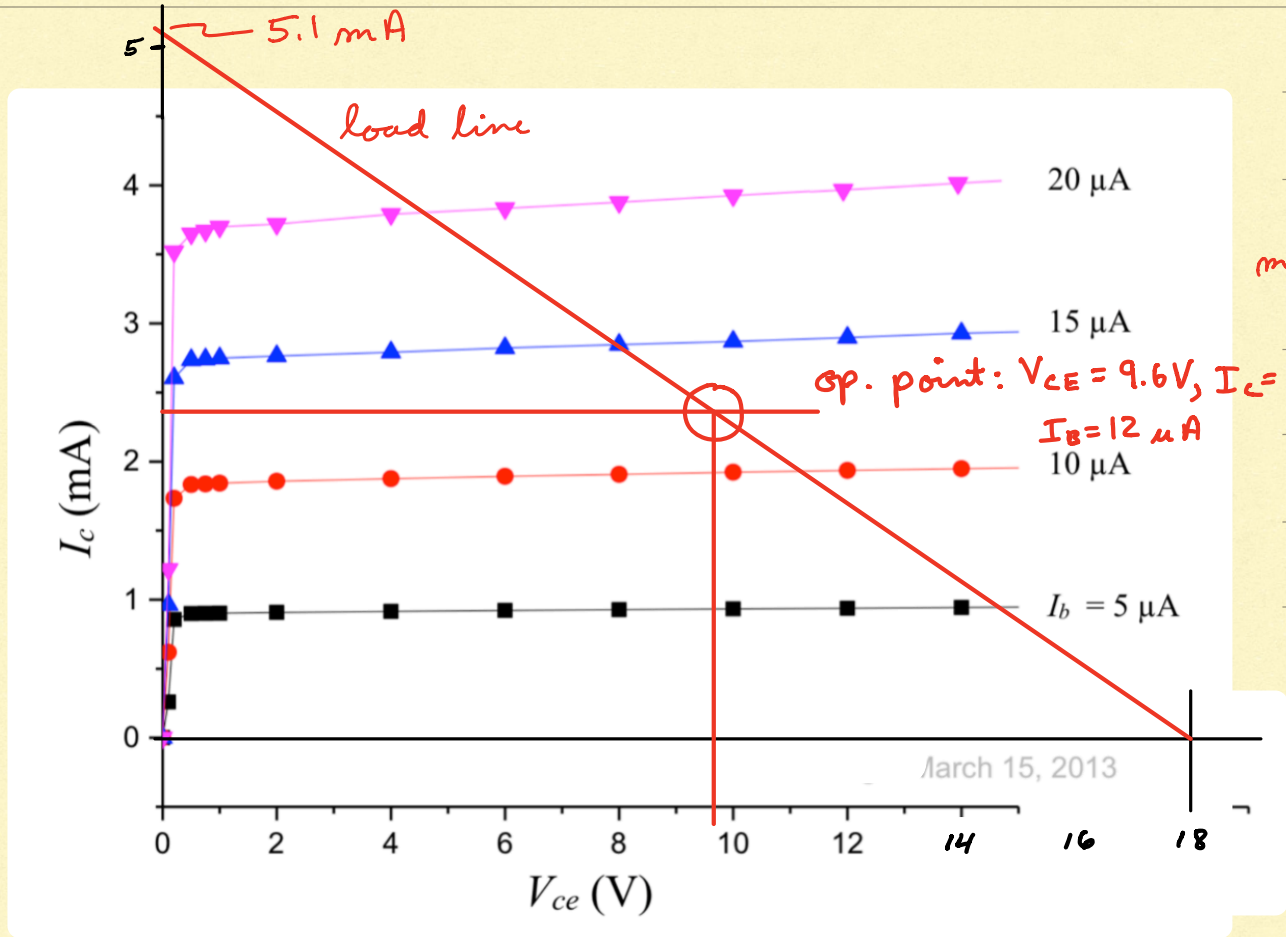
is consistent with simply interpolating between the I_c curves.

d) On a copy of the transistor characteristic curves from expt. 6, plot the load line: I_C versus V_{CE} for $V_{cc} = 18$ V. Identify and mark the operating point (I_C , V_{CE} and I_B).

(You may interpolate between the measured characteristic curves to illustrate this.)

Load line:
$$I_C = \frac{V_{cc}}{R_c + R_E} - \frac{V_{CE}}{R_c + R_E} = 5.1 \text{ mA} - V_{CE} \left(\frac{1}{3.52 \text{ k}\Omega} \right)$$

Operating point: $I_C = 2.8 \text{ mA}$, $V_{CE} = 8.1 \text{ V}$, $I_B = 15 \mu\text{A}$



e) Suppose $V_B \rightarrow V_B + \delta V_B$. Assume V_{BE} and V_{CC} are constant. What are the corresponding changes in I_E and I_C ? What is δV_C ? Show that $\delta V_C / \delta V_B \approx -R_C / R_E$. (This is essentially the gain of the amplifier circuit; the $-$ sign indicates a phase shift of π)

For $V_B \rightarrow V_B + \delta V_B$, $V_E \rightarrow V_E + \delta V_B$ since $V_E = V_B - V_{BE}$ and V_{BE} is const.

Then, I_E (and I_C) $\rightarrow I_E + \frac{\delta V_B}{R_E}$

So $\delta I_C = \frac{\delta V_B}{R_E}$

Since $V_C = V_{CC} - I_C R_C$

$\delta V_C = -\delta I_C R_C = -\delta V_B \frac{R_C}{R_E}$

and the gain is $\frac{\delta V_C}{\delta V_B} = -\frac{R_C}{R_E}$

