

Kinematics (for constant acceleration):

$$v = v_0 + at$$

$$x = \frac{1}{2}(v_0 + v)t$$

$$x = v_0t + \frac{1}{2}at^2$$

$$v^2 = v_0^2 + 2ax$$

Forces:

Newton's second law: $\sum \vec{F} = m\vec{a}$

First condition for equilibrium: $\sum \vec{F} = 0$

Gravity:

near Earth: $F = mg$

Universal: $F = G \frac{m_1 m_2}{R^2}$

$g = 9.80 \text{ m/s}^2$

Friction:

Static: $0 \leq f_s \leq \mu_s F_N$ direction is always opposite to motion (or tendency to motion)

Kinetic: $f_k = \mu_k F_N$

Uniform Circular Motion and Gravitation

Period: $T = \frac{2\pi R}{v}$ where v is the speed of the particle and R is the radius of the circle

Frequency: $f = \frac{1}{T}$ θ (in radians) = $\frac{\text{Arc length}}{\text{radius}}$

Centripetal Acceleration: $a_c = \frac{v^2}{R}$

Centripetal Force: $F_c = \frac{mv^2}{R}$ directed towards the centre

Work, Energy, and Power:

Work: $W = (F \cos\theta) s$

Kinetic energy: $KE = \frac{1}{2}mv^2$

Potential energy:

Gravitational (near Earth): $PE = mgh$

Work-energy theorem: $W_{nc} = \Delta KE + \Delta PE = E_f - E_i$

Total mechanical energy: $E = KE + PE$

Conservation of mechanical energy: $E = KE + PE = \text{constant}; E_f = E_i$

Power (rate of doing work): $\bar{P} = \frac{W}{t}$

Linear Momentum

Impulse: $\vec{F}\Delta t = \Delta p = mv_f - mv_i$

Conservation of Momentum: $\mathbf{p}_i = \mathbf{p}_f$, if no external forces

Torque and Angular Momentum

Torque: $\tau = Fl = Fr \sin\theta$; $l = (\text{lever arm}) = r \sin\theta$
 Second condition of equilibrium: $\sum \vec{\tau} = 0$
 Angular momentum: $L = I\omega = \text{conserved, in absence of external torques}$

Simple Harmonic Motion

Hooke's law: Restoring force = $F = -kx$
 Elastic potential energy = $\frac{1}{2}kx^2$
 Displacement: $x = A \cos(\omega t)$ (when $x = A$ at $t = 0$)
 Velocity: $v = -A\omega \sin(\omega t)$ Acceleration: $a = -A\omega^2 \cos(\omega t)$
 frequency, period $\omega^2 = \frac{k}{m}$; $f = \frac{\omega}{2\pi} = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$; $T = \frac{2\pi}{\omega} = 2\pi \sqrt{\frac{m}{k}}$
 simple pendulum $T = 2\pi \sqrt{\frac{L}{g}}$
 Energy $E = KE + PE = \frac{1}{2}mv^2 + \frac{1}{2}kx^2$

Heat

Linear thermal expansion: $\Delta L = \alpha L_0 \Delta T$
 Volume thermal expansion: $\Delta V = \beta V_0 \Delta T$
 Amount of heat and temperature change: $Q = Cm\Delta T$
 Heat required for change of phase: $Q = mL$
 Conduction of heat through a material: $Q = \frac{(kA\Delta T)t}{L}$
 $n = \frac{N}{N_A} = \frac{m}{\text{mass per mole}}$ $N_A = 6.022 \times 10^{23} \text{ mol}^{-1}$
 $PV = nRT = \frac{2}{3} N(\overline{KE})$ $R = 8.314 \text{ J/(mol.K)}$
 $\overline{KE} = \frac{1}{2}mv_{\text{rms}}^2 = \frac{3}{2}kT$

Fluids

Pressure: $P = \text{Force/Area}$,
 Hydrostatic Pressure: $P = \rho gh$
 Continuity Equation: $\rho_1 v_1 A_1 = \rho_2 v_2 A_2$
 Bernoulli's Equation: $P + \rho gh + \frac{1}{2} \rho v^2 = \text{constant}$